

# Identifying Resistors

## Introduction

Resistors are physically quite small most of the time and so it is inconvenient to simply write the value and tolerance on the resistor. A clear but compact code is needed.

On circuit diagrams it is important not to miss the decimal place and use a 47 k $\Omega$  resistor instead of a 4.7 k $\Omega$  so clarity is required.

The Resistor Colour Code uses coloured bands to make it easy to identify resistor values and tolerances and the Resistor Printed Code (BS1852) gives a standard for printed markings on resistors and on circuit diagrams.

Surface mounted devices and some other resistors use a numerical version of the colour code using three digits to represent any value of resistor.

## The Colour Code

The resistor colour code uses 10 different colours to represent the value of the resistor. A different set of colours is used to represent other information such as the tolerance or thermal stability. It is worth knowing what the colours represent as it makes life easier when building circuits.

For the bands representing the value, the colour code is:

Black = 0	Brown = 1	Red = 2	Orange = 3	Yellow = 4
Green = 5	Blue = 6	Violet = 7	Grey = 8	White = 9

For the tolerance band, the colour code is:

Brown $\pm$ 1%	Red $\pm$ 2%	Gold $\pm$ 5%	Silver $\pm$ 10%	Blank $\pm$ 20%
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## Using the Colour Code

In many cases, such as in schools, the resistors used are all  $\pm 5\%$  or worse. Therefore there is no point in giving the value to a high level of precision using many significant figures. Resistor values are usually given to 2 significant figures. The value is given as the 2 most significant digits and then the relevant number of zeros.

For example, a resistance of  $127.5 \Omega$  is simply given as  $130 \Omega$  or 13 followed by one zero.

- Band 1 = Value of Resistor (First significant figure)
- Band 2 = Value of Resistor (Second significant figure)
- Band 3 = Number of following zeros
- Band 4 = Tolerance

## Examples



Band 1 - Red - 2 - The first digit is 2

Band 2 - Red - 2 - The second digit is also 2

Band 3 - Brown - 1 - There is 1 zero after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

The resistor has a value of  $220 \Omega \pm 5\%$  because the first two digits are both 2 (22) and then there is 1 zero (0) following the 22 hence 220.



Band 1 - Brown - 1 - The first digit is 1

Band 2 - Black - 0 - The second digit is 0

Band 3 - Orange - 3 - There are 3 zeros after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

Note:  $10,000 \Omega = 10 \text{ k}\Omega$

The resistor has a value of  $10 \text{ k}\Omega \pm 5\%$



Band 1 - Yellow - 4 - The first digit is 4

Band 2 - Violet - 7 - The second digit is 7

Band 3 - Red - 2 - There are 2 zeros after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

The resistor has a value of  $4700 \Omega \pm 5\%$

Note:  $4700 \Omega = 4.7 \text{ k}\Omega$  but the decimal place is easy to miss so the decimal place is represented by the position of the 'k' in the value. Therefore,  $4.7 \text{ k}\Omega$  is written as  $4\text{k}7 \Omega$

Therefore, the resistor has a value of  $4\text{k}7 \Omega \pm 5\%$

## BS1852 Printed Code

The BS1852 Printed Resistor Code uses letters and numbers to signify the value of the resistor.

- R means  $\times 1$
- K means  $\times 1000$
- M means  $\times 1000,000$

The position of the letter indicates the position of the decimal place. This is the most significant advantage of the BS1852 printed code. On printed circuit boards and circuit diagrams it is too easy to miss a decimal point so the letter used in the resistor value gives both the multiplication value and the position of the decimal point.

Tolerance is indicated by adding a letter at the end:

- J =  $\pm 5\%$
- K =  $\pm 10\%$
- M =  $\pm 20\%$

Given the number of letters available, it is a bit surprising that the standard code uses the same letters for value and tolerance but there you go!

## Examples



A 220  $\Omega$  resistor with a tolerance of  $\pm 5\%$  is written as 220 R J ( $220 \times 1 = 220 \Omega$ )



A 4700  $\Omega$  resistor with a tolerance of  $\pm 5\%$  is written as 4 K 7 J ( $4.7 \times 1000 = 4700 \Omega$ )



A 10,000  $\Omega$  resistor with a tolerance of  $\pm 5\%$  is written as 10 K J ( $10 \times 1000 = 10000 \Omega$ )

## More Examples

**3R9K** has a value of 3.9  $\Omega$  with a tolerance of  $\pm 10\%$

**39RJ** has a value of 39  $\Omega$  with a tolerance of  $\pm 5\%$

**390RM** has a value of 390  $\Omega$  with a tolerance of  $\pm 20\%$

**3K9K** has a value of 3900  $\Omega \pm 10\%$

**39KJ** has a value of 39,000  $\Omega \pm 5\%$

**390KM** has a value of 390,000  $\Omega \pm 20\%$

**3M9K** has a value of 3,900,000  $\Omega \pm 10\%$

**39MM** has a value of 39,000,000  $\Omega \pm 20\%$

## Small Value Resistors

Small value resistors - between 10  $\Omega$  and 100  $\Omega$  are often identified wrongly. The third band in this case is always black which means that there are NO zeros following the value. It is all too easy to read the third band as zero and assume that the zero follows the value ... it does not! Black means there are zero zeros after the value!



Band 1 - Brown - 1 - The first digit is 1

Band 2 - Black - 0 - The second digit is 0

Band 3 - Black - 0 - There are NO (zero) zeros after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

The resistor has a value of 10  $\Omega \pm 5\%$  (not 100  $\Omega$ )



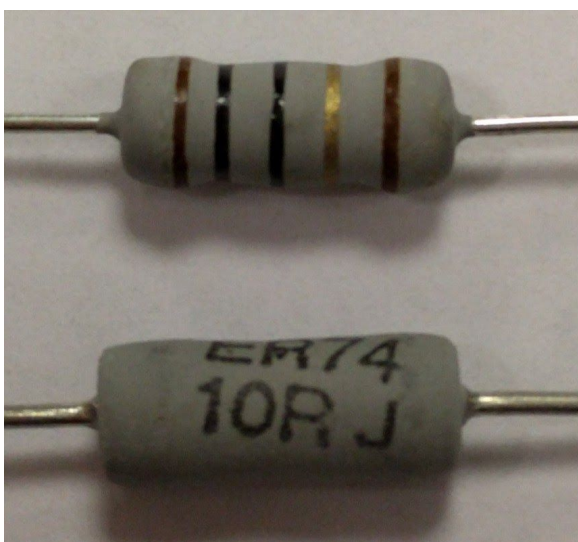
Band 1 - Green - 5 - The first digit is 5

Band 2 - Blue - 6 - The second digit is 6

Band 3 - Black - 0 - There are NO (zero) zeros after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

The resistor has a value of 56  $\Omega \pm 5\%$  (not 560  $\Omega$ )



Band 1 - Brown - 1 - The first digit is 1

Band 2 - Black - 0 - The second digit is 0

Band 3 - Black - 0 - There are NO (zero) zeros after the first two digits

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

Both resistors have a value of 10  $\Omega \pm 5\%$  but shown in different ways

## Low Value Resistors

Low value resistors - those less than  $10 \Omega$  - use the THIRD coloured band to reduce the value of the resistor by dividing by either 10 or 100. The first two coloured bands give the value of the resistor and the third coloured band divides the value to make it smaller.

Gold  $\div 10$

Silver  $\div 100$

For example:

$4.7 \Omega \pm 5\%$  resistor is  $47 \Omega \div 10$  and would therefore be Yellow, Violet, Gold, Gold

$0.56 \Omega \pm 1\%$  resistor is  $56 \Omega \div 100$  and would therefore be Green, Blue, Silver, Brown



Band 1 - Brown - 1 - The first digit is 1

Band 2 - Black - 0 - The second digit is 0

Band 3 - Gold -  $\div 10$  - Divide the value given by the first two digits by 10

Band 4 - Gold -  $\pm 5\%$  - The tolerance is  $\pm 5\%$

The resistor has a value of  $1 \Omega \pm 5\%$  (not  $10 \Omega$ )

## Zero Ohm Resistors

A resistor with a value of  $0 \Omega$  is useful as a wire link. The reason why a zero ohm resistor is better than a simple piece of wire is that the same machines that fit resistors into circuit boards on production lines can also be used to fit the "wire links" to the circuit boards. A zero ohm resistor has a single black band.

## High Precision Resistors

For resistors with a tolerance of better than  $\pm 5\%$ , more than two significant figures are needed to represent the value.

High precision resistors have THREE bands for the value and then one band for the number of zeros - four bands in total to represent the value. The colour code otherwise works in exactly the same way. Note: 5th band gives tolerance where Brown =  $\pm 1\%$ .



Band 1 - Brown - 1 - The first digit is 1

Band 2 - Orange - 3 - The second digit is 3

Band 3 - Black - 0 - The third digit is 0

Band 4 - Orange - 3 - There are 3 zeros

Band 5 - Brown -  $\pm 1\%$  - The tolerance is  $\pm 1\%$

The resistor has a value of  $130 \text{ k}\Omega \pm 1\%$

## Numerical Resistor Code (Surface Mounted Resistors)



A slightly different approach is used for surface mounted resistors, some other resistors and low value capacitors.



The format of the colour code is retained but the colours are replaced by printed numbers. The 2 significant figures and then a 3rd digit representing the multiplying factor (number of zeros) are simply printed on the device / resistor and there is no tolerance indicated.



The first two numbers represent the value and the 3rd number represents the number of zeros. Therefore, if the 3rd digit is 4, multiply by 10,000 (4 zeros) but if the 3rd digit is 1 just multiply by 10. If the 3rd digit is 0, multiply by 1 - there are no extra zeros.

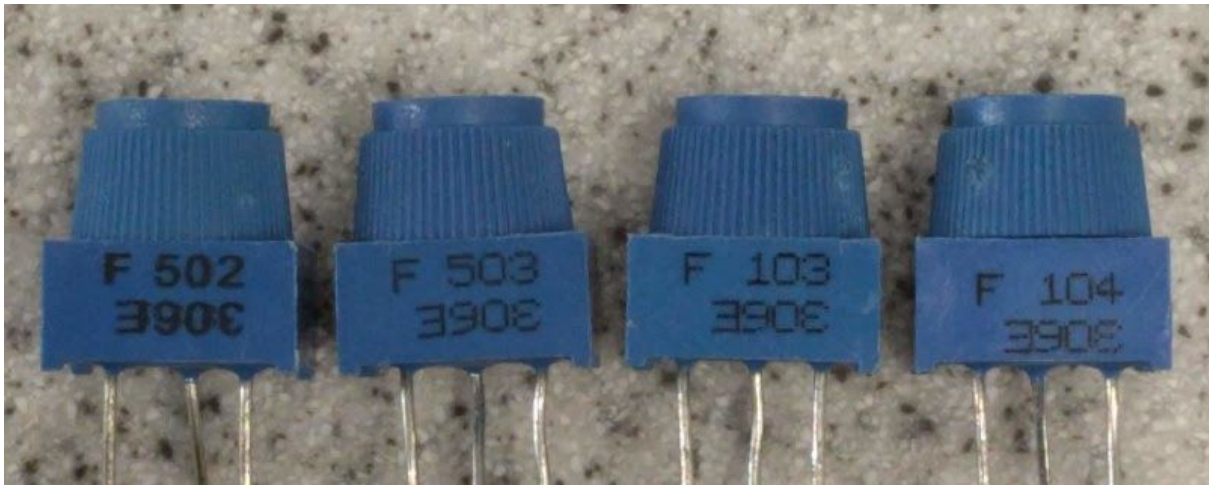
$$102 = 10 \times 100 = 1000 \Omega \text{ (10 followed by two zeros is } 1000 \Omega \text{)}$$

$$334 = 33 \times 10,000 = 330 \text{ k}\Omega \text{ (33 followed by four zeros is } 330,000 \Omega \text{)}$$

$$221 = 22 \times 10 = 220 \Omega \text{ (22 followed by one zero is } 220 \Omega \text{)}$$

$$560 = 56 \times 1 = 56 \Omega \text{ (56 followed by no (zero) zeros is } 56 \Omega \text{)}$$





The pcb mounted potentiometers shown are all different values. The value is shown by the three digit code and there is no tolerance. From left to right the values are:

$$502 = 50 \times 100 = 5 \text{ k}\Omega \text{ (50 followed by two zeros = 5000 } \Omega \text{)}$$

$$503 = 50 \times 1000 = 50 \text{ k}\Omega \text{ (50 followed by three zeros = 50,000 } \Omega \text{)}$$

$$103 = 10 \times 1000 = 10 \text{ k}\Omega \text{ (10 followed by three zeros = 10,000 } \Omega \text{)}$$

$$104 = 10 \times 10,000 = 100 \text{ k}\Omega \text{ (10 followed by four zeros = 100,000 } \Omega \text{)}$$

## E12 Series

Resistors with a tolerance of  $\pm 10\%$  (Silver) form a series of 12 values, each approximately 20% bigger than the last. This series is called the E12 series.

The E12 series is:

**10, 12, 15, 18, 22, 27, 33, 39, 47, 56, 68, 82**

... and all the subsequent decades / powers of 10

Examples of E12 values include: 100  $\Omega$ , 15 k $\Omega$ , 220  $\Omega$ , 330 k $\Omega$ , 4.7  $\Omega$ , 6.8 M $\Omega$ , 10 k $\Omega$ , 1 k $\Omega$

## E24 Series

Resistors with a tolerance of  $\pm 5\%$  (Gold) form a series of 24 values, each approximately 10% bigger than the last. This series is called the E24 series.

The E24 series is:

**10, 11, 12, 13, 15, 16, 18, 20, 22, 24, 27, 30, 33, 36, 39, 43, 47, 51, 56, 62, 68, 75, 82, 91**

... and all the subsequent decades / powers of 10

Examples of E24 values include: 110  $\Omega$ , 13 k $\Omega$ , 200  $\Omega$ , 360 k $\Omega$ , 4.3  $\Omega$ , 6.2 M $\Omega$ , 11 k $\Omega$ , 1k3  $\Omega$



# Website

[http://www.pfnicholls.com/Electronics/resistor\\_codes.html](http://www.pfnicholls.com/Electronics/resistor_codes.html)

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